Thickness Identification of 2D Materials by Optical Imaging

Exploring the Relation between Colour and Thickness of FePS₃ and NbSe₂

Research Question

"How does the optical contrast and **the colour** of a three-layer system, consisting of thin flakes of the insulator FePS₃ and of the metal NbSe₂ on SiO₂/Si substrate, change as a function of **flake thickness**?"

2D Materials



A single or a few molecular layers, called 2D materials, were obtained by exfoliation of FePS₃ and NbSe₂ 3D bulk crystals. Current research is interested in 2D Materials due to their **special properties** and wide range of applications.

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Aim

The goal of this study is to assess the **feasibility and precision** of thickness identification of 2D Materials by optical imaging. The procedure is **much faster and cheaper** than conventional measurements with the Atomic Force Microscope.

Theoretical Model

The **Fresnel equations**, which describe how light behaves at an interface of two different materials, can be derived directly from the Maxwell equations. Combining them according to the **light rays** in the graphic below and

Experimental Results

Measured RGB values FePS3



Applying the Results

An application in Python was written to **overcome the hurdles and imprecision** of manual colour comparison. A test with the experimental data revealed, that its predictions are **precise** enough to be **used in the production** of 2D Materials for research.



Outlook

With the help of a microscope with a **mobile platform**, the application could be used to scan the whole substrate chip **automatically**. Thus, we have developed **a fast, large-scale and cheap** method to determine the thickness of 2D materials.

keeping track of **interference** yielded the final equation for the **relative reflectivity** of the three-layer system:

$$r_{tot} = \frac{r_{01} + r_{12}e^{-i2\Delta\phi_1} + r_{23}e^{-i2(\Delta\phi_1 + \Delta\phi_2)} + r_{01}r_{12}r_{23}e^{-i2\Delta\phi_2}}{1 + r_{01}r_{12}e^{-i2\Delta\phi_1} + r_{01}r_{23}e^{-i2(\Delta\phi_1 + \Delta\phi_2)} + r_{12}r_{23}e^{-i2\Delta\phi_2}}$$

$$\Delta \phi_1 = \frac{2\pi n_1 d_1}{\lambda} \qquad r_{01} = \frac{n_0 - n_1}{n_0 + n_1}$$



Theoretical Prediction

